



**Aspen Center  
for  
Physics**



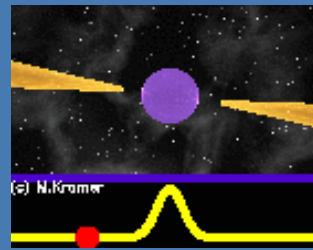
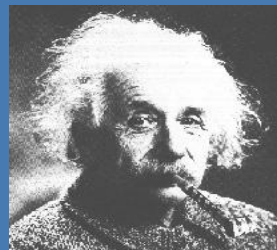
**Physical Applications of Millisecond Pulsars**

# NEW TESTS OF **LOCAL LORENTZ INVARIANCE** AND **LOCAL POSITION INVARIANCE** OF GRAVITY FROM PULSARS

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**Collaborators:**

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Gravity talks to pulsars...

Max-Planck-Institut  
für  
Radioastronomie



# THEORETICAL FRAMEWORK: PARAMETERIZED POST-NEWTONIAN (PPN)

- Expand gravity theories to the first post-Newtonian order  $O(c^{-2})$ ; ten dimensionless parameters are introduced in the metric, like  $\beta$  (nonlinearity),  $\gamma$  (curvature per mass)

[Eddington 1922, Robertson 1962, Schiff 1967]

[Nordtvedt 1968, Will 1971, Will & Nordtvedt 1972]

Local Lorentz Invariance:  $\alpha_1, \alpha_2, \alpha_3$

Local Position Invariance:  $\xi$

- PPN parameters have different values in different gravity theories [Will 1993, Will 2006]

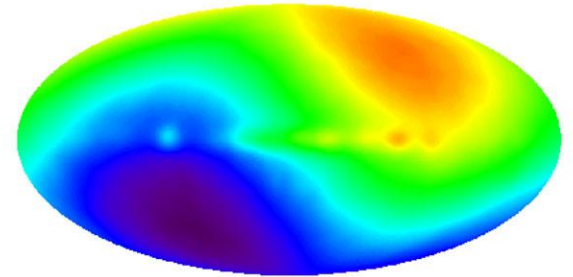
in GR,  $\alpha_1 = \alpha_2 = \alpha_3 = \xi = 0$



# LOCAL LORENTZ INVARIANCE (LLI) VIOLATION

- Local gravity depends on the **velocity** of a system w.r.t. a preferred frame (e.g., the CMB frame)

[Will & Nordtvedt 1972; Nordtvedt & Will 1972]



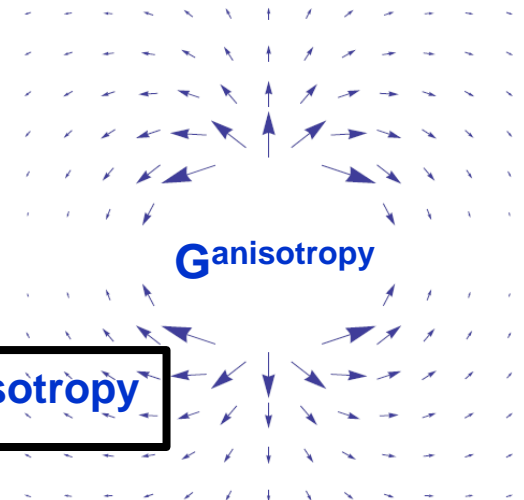
# LOCAL POSITION INVARIANCE (LPI) VIOLATION

- Local gravity depends on the **position** of a system w.r.t. external matter distribution (e.g., the Galaxy) [Mach's principle; Whitehead 1922; Will 1973]



[Will 1993]

$$\mathbf{G}_{\text{local}} = \mathbf{G}_{\text{isotropy}} + \mathbf{G}_{\text{anisotropy}}$$



## RECORD HOLDERS OF PPN PARAMETERS

○  $\alpha_1$  : 35-yr of Lunar Laser Ranging  Pulsars  
[Müller, Williams, & Turyshev 2008]

improved by a factor of five [Shao & Wex 2012]

○  $\alpha_2$  : 4.6-Gyr of Sun's spin  Pulsars

[Nordtvedt 1987] improved by two orders of magnitude [Shao et al. in prep.]

○  $\alpha_3$  : 21 binary pulsars Pulsars  
[Stairs et al. 2005]

○  $\xi$  : superconducting gravimeters  Pulsars

[Warburton & Goodkind 1976]

improved by five (two) orders of magnitude [Shao & Wex, in prep.]



# LOCAL LORENTZ INVARIANCE

## $\alpha_1$ TEST [SHAO & WEX 2012]

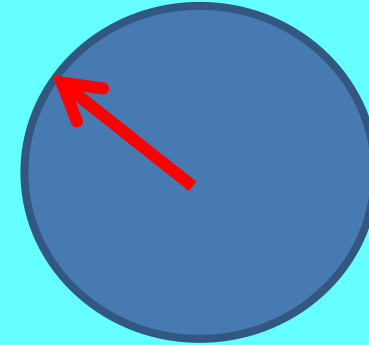
PSR J1738+0333

[Antoniadis et al. 2012; Freire et al. 2012]

# LOCAL LORENTZ INVARIANCE $\alpha_1$ :

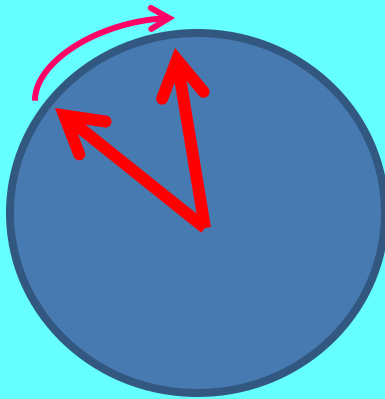
## ORBITAL POLARIZATION

Newtonian Gravity

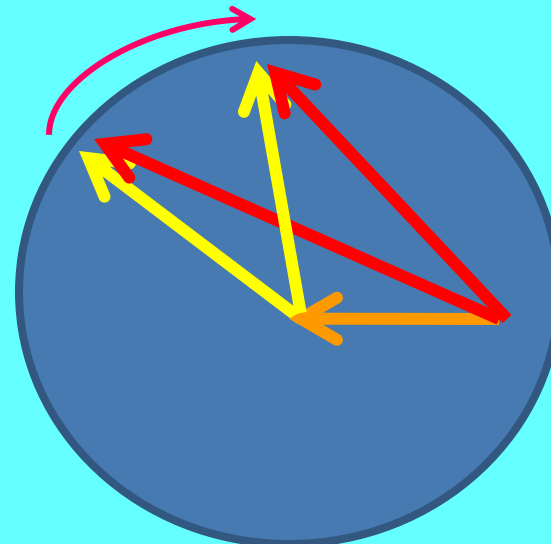


Laplace-Runge-Lenz vector

GR: Periastron Precession



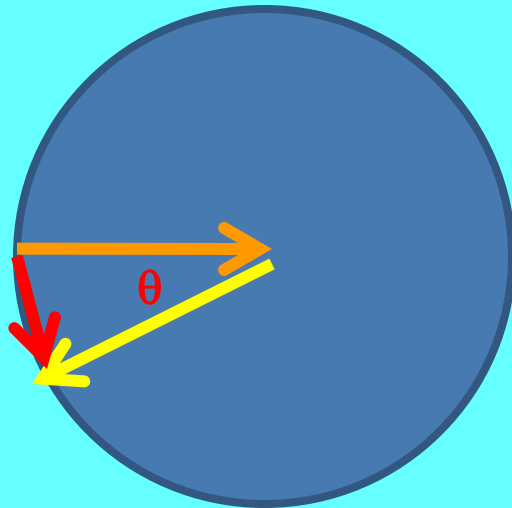
Local Lorentz Invariance Violation  
**Orbital polarization**



Damour & Esposito-Farèse 1992  
Will 1993  
Shao & Wex 2012

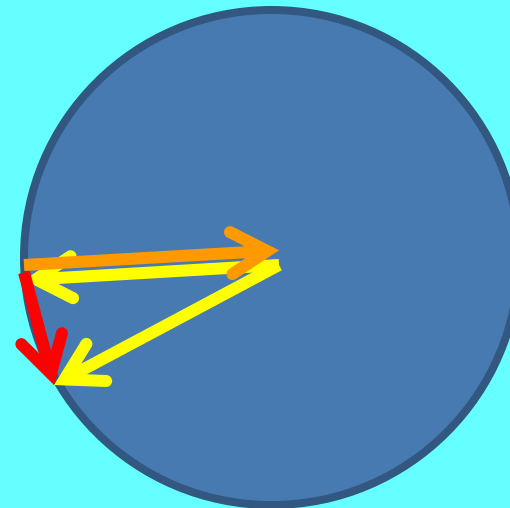
## PROBABILISTIC TEST

Damour & Esposito-Farèse 1992



## ROBUST TEST

Shao & Wex 2012



$$\hat{\alpha}_1 = -0.4_{-3.1}^{+3.7} \times 10^{-5} \quad (95\% \text{ C.L.})$$

**PSR J1738+0333** [Antoniadis et al. 2012; Freire et al. 2012]



# LOCAL LORENTZ INVARIANCE

## $\alpha_2$ TEST [SHAO ET AL. IN PREP.]

PSRs B1937+21 & J1744-1134



# LOCAL LORENTZ INVARIANCE $\alpha_2$ :

## SPIN PRECESSION

- Solar spin alignment  
[Nordtvedt 1987]

$$\Omega^{\text{prec}} = -\frac{\alpha_2}{2} \left( \frac{2\pi}{P} \right) \left( \frac{w}{c} \right)^2 \cos \psi$$

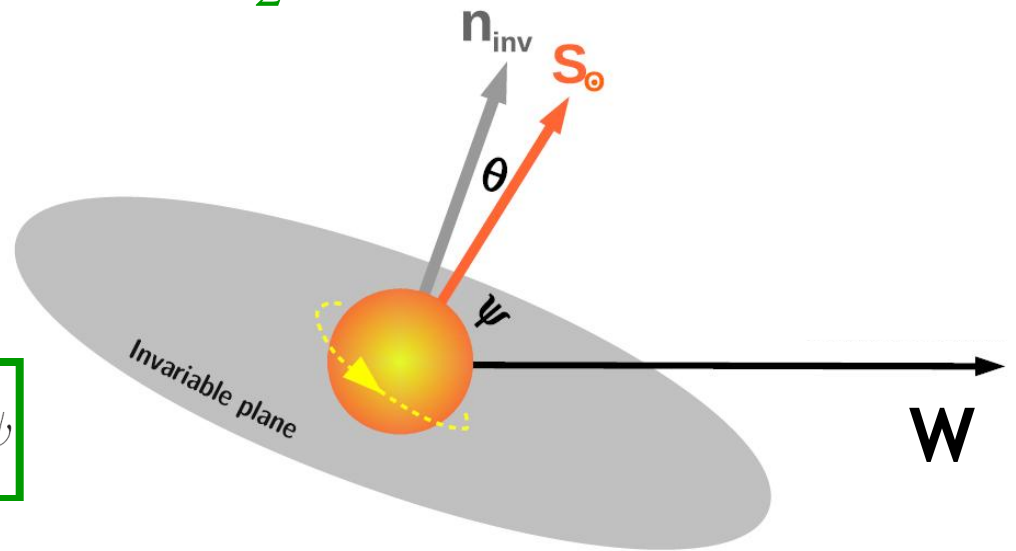
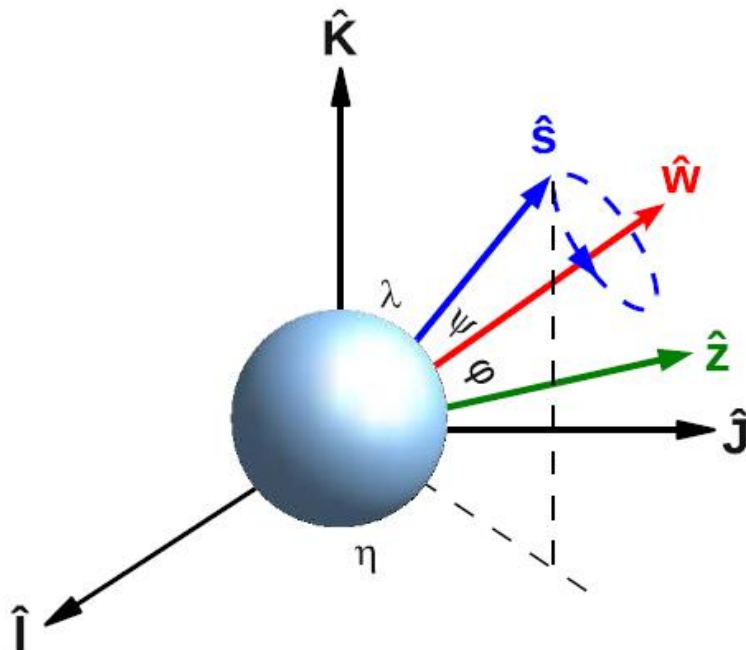


Figure from Shao & Wex, in prep.



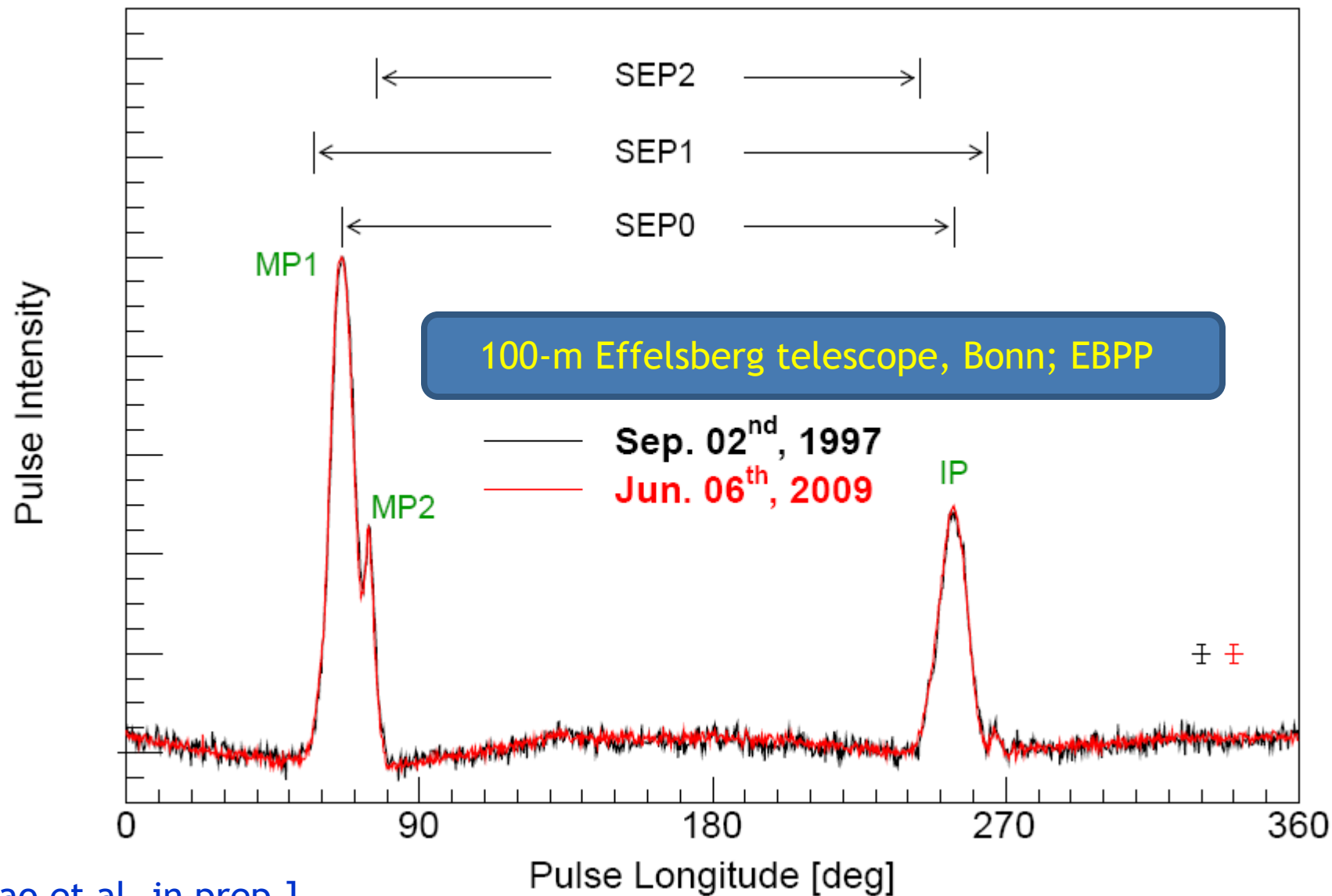
- Spin precession of solitary pulsars  
[Shao et al. in prep.]

free science (PTA PSRs)

→ pulse profile variations

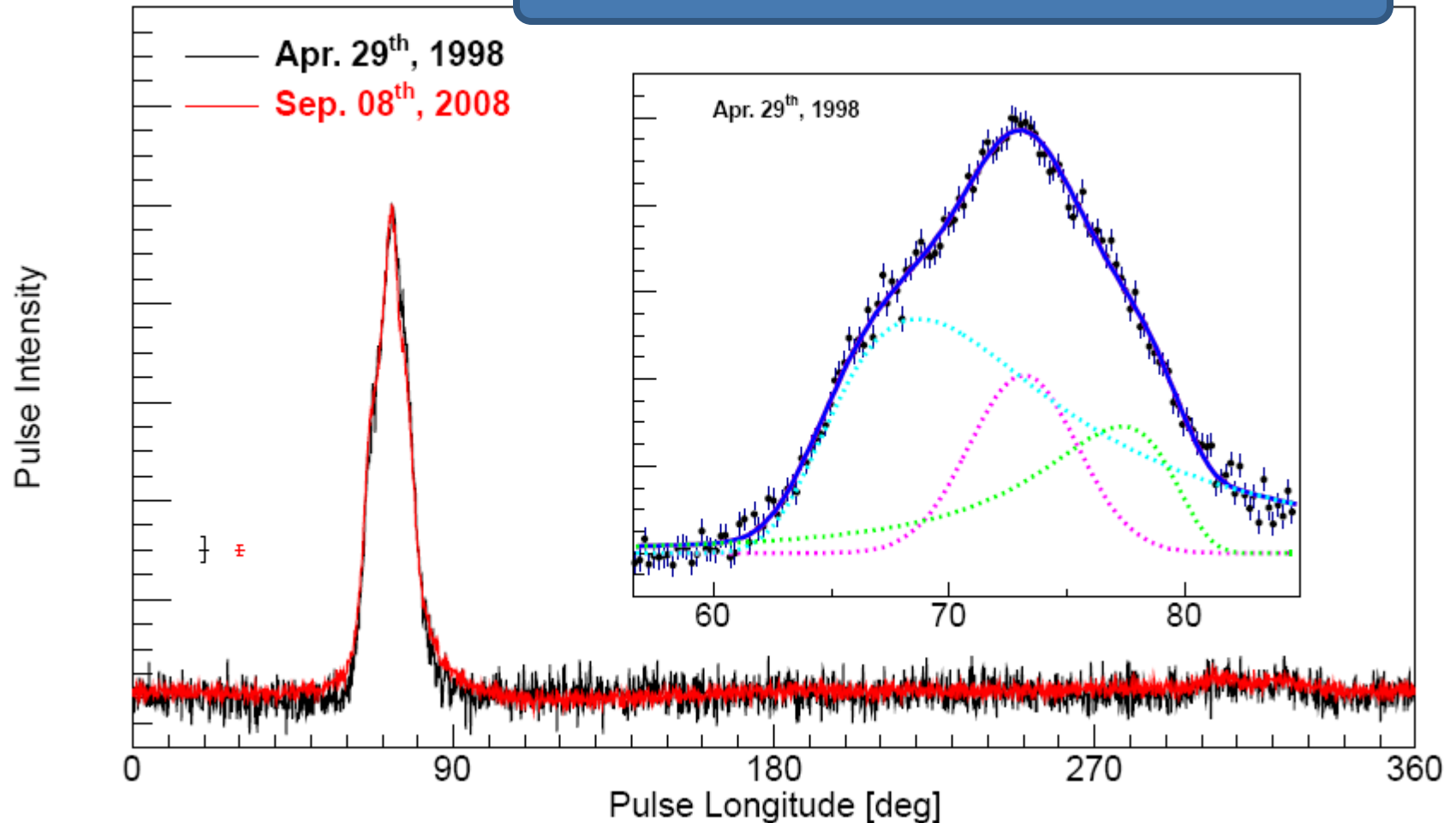


# EXTREMELY STABLE PULSE PROFILES: B1937+21



# EXTREMELY STABLE PULSE PROFILES: J1744-1134

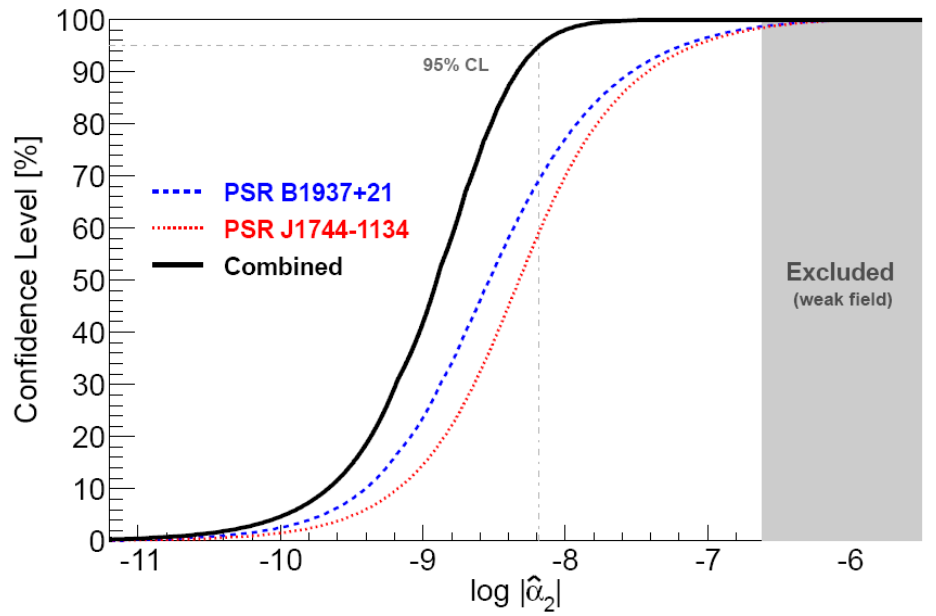
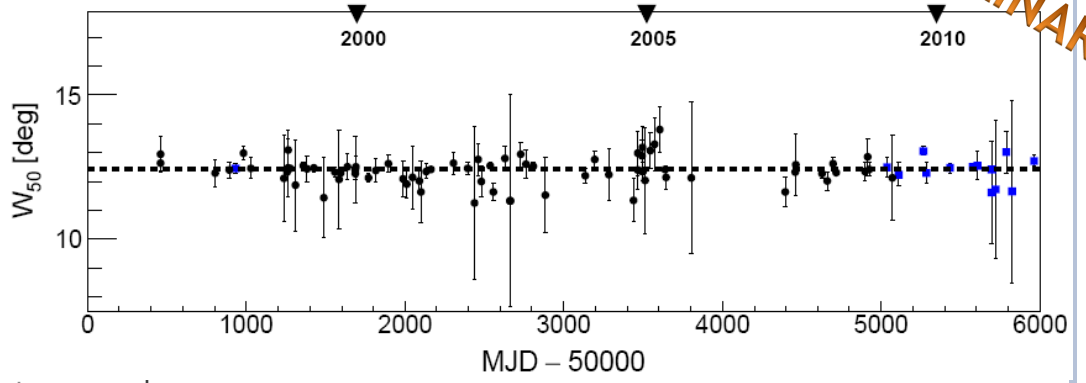
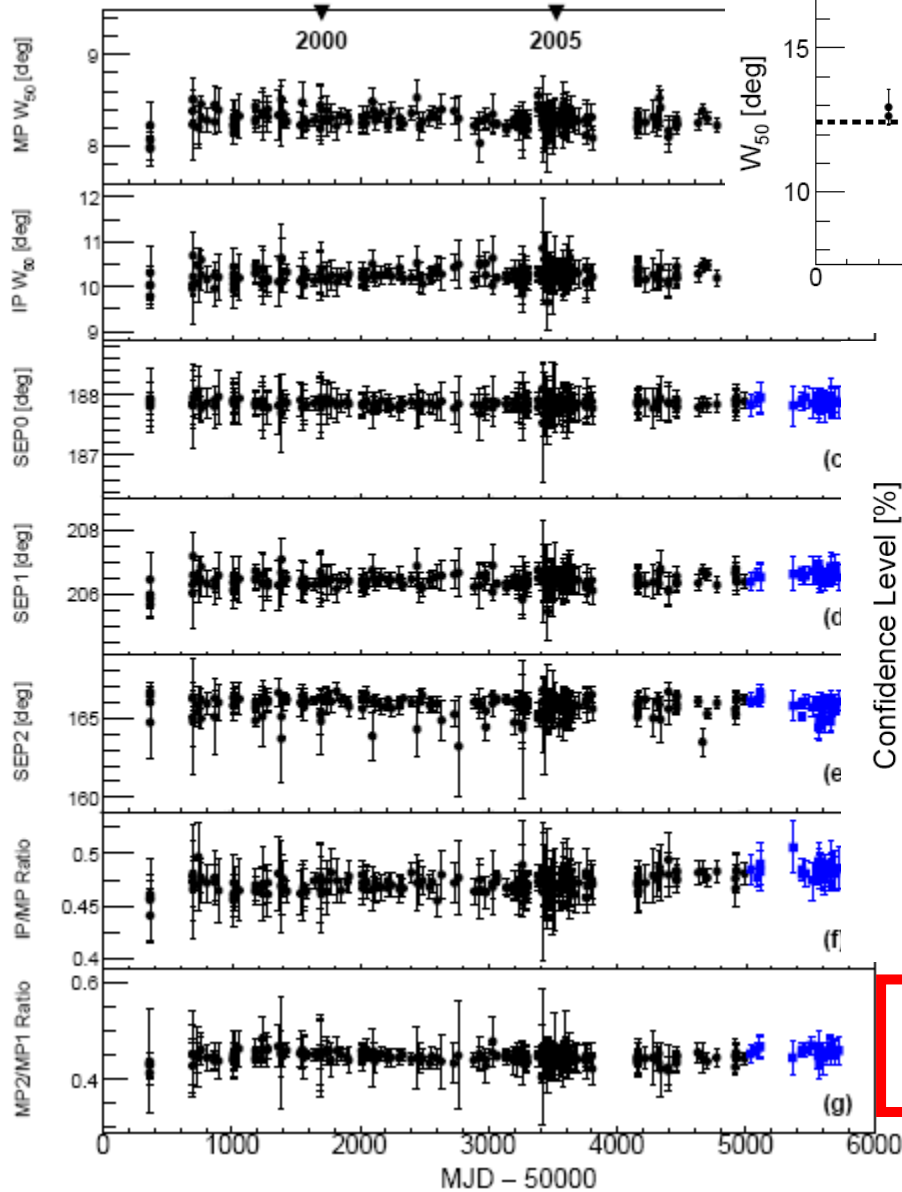
100-m Effelsberg telescope, Bonn; EBPP



PRELIMINARY

# PSR B1937+21

# PSR J1744-1134



$|\hat{\alpha}_2| < 6.6 \times 10^{-9}, \quad (95\% \text{ CL})$

# LOCAL POSITION INVARIANCE

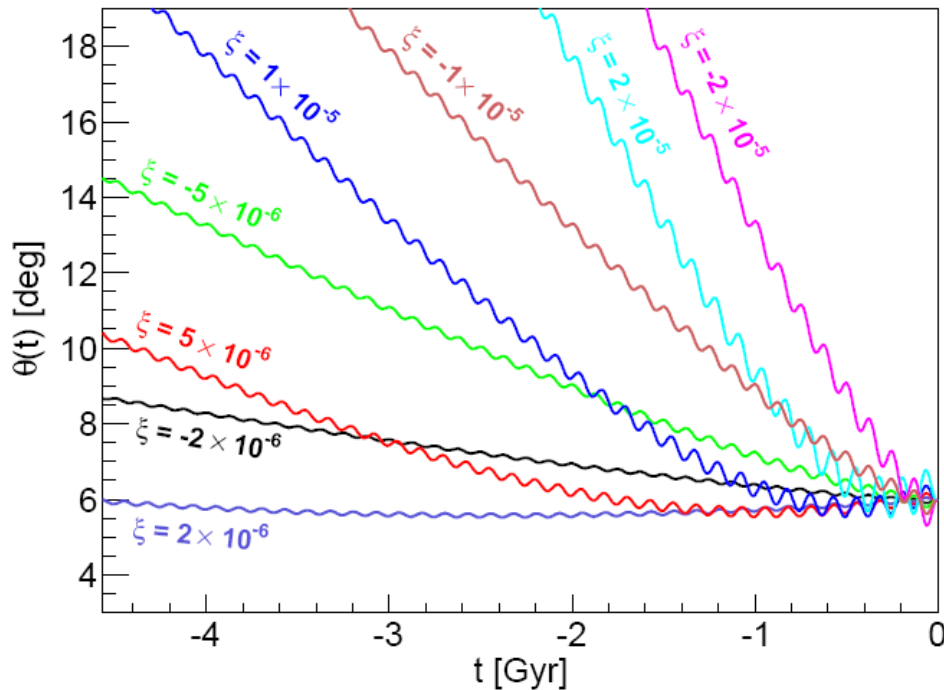
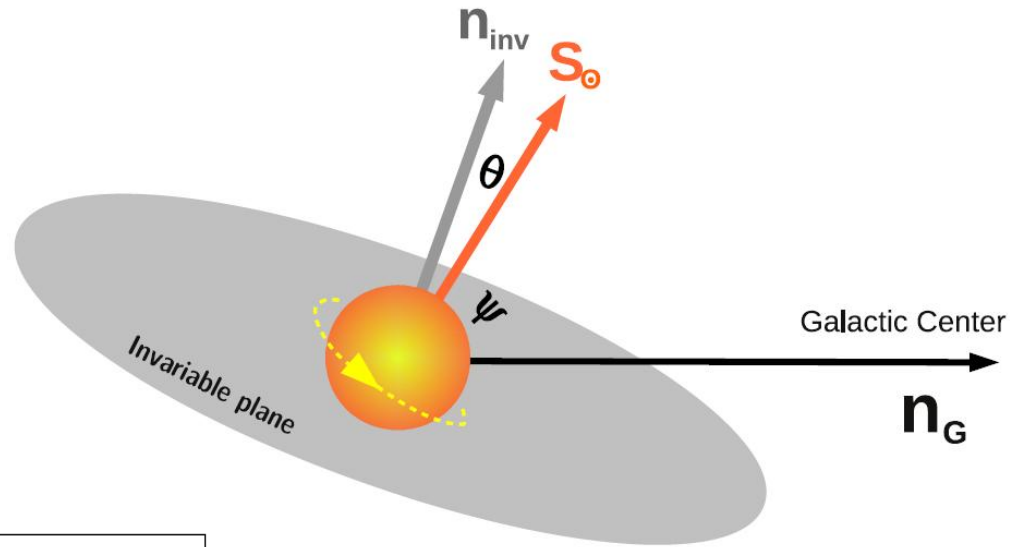
$\xi$  TEST [SHAO & WEX, IN PREP.]

PSRs B1937+21 & J1744-1134

# LOCAL POSITION INVARIANCE $\xi$ :

## SPIN PRECESSION

- Solar spin alignment  
[Nordtvedt 1987]



$$|\xi| < 5 \times 10^{-6}$$

[Shao & Wex, in prep.]

# SOLITARY MSPs

- PSR B1937+21
- PSR J1744-1134

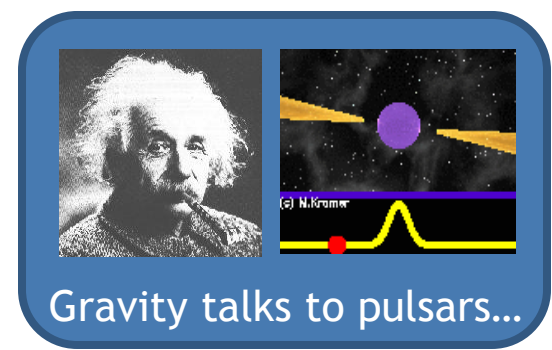
$$|\hat{\xi}| < 1.7 \times 10^{-8}, \quad (95\% \text{ CL})$$

PRELIMINARY

$$\left| \frac{\Delta G}{G} \right|_{\text{anisotropic}} < 5 \times 10^{-15}, \quad (95\% \text{ CL})$$

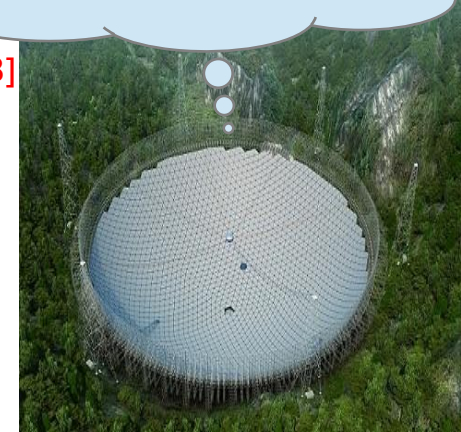


# DICUSSIONS



- Horava gravity, TeVeS gravity, SME, etc
- Weak-field limits vs strong-field limits
  - nonperturbative effects [Damour & Esposito-Farèse 1993]
  - perturbative effects [Nordtvedt 1968]
- Further improvements
  - continuous observations:  $T_{\text{obs}}^{-3/2}$
  - new technologies, better sensitivities...
  - finding new systems: FAST, SKA, etc

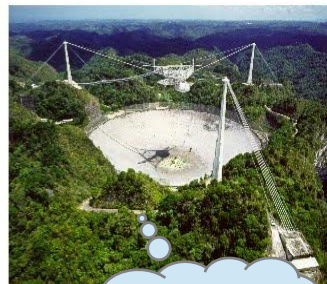
FAST; expected by 2016



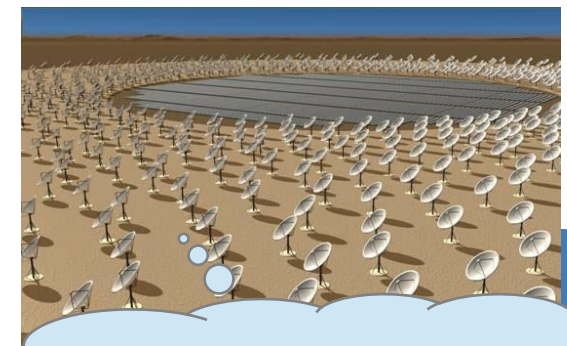
Parkes



Effelsberg



Arecibo



SKA; expected by 2020